

# CS260: Machine Learning Algorithms

## Lecture 12: Recurrent Neural Network and NLP applications

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# Recurrent Neural Network

# Time Series/Sequence Data

- Input:  $\{\mathbf{x}_1, \mathbf{x}_2, \dots, \mathbf{x}_T\}$ 
  - Each  $\mathbf{x}_t$  is the feature at time step  $t$
  - Each  $\mathbf{x}_t$  can be an  $d$ -dimensional vector
- Output:  $\{y_1, y_2, \dots, y_T\}$ 
  - Each  $y_t$  is the output at step  $t$
  - Multi-class output or Regression output:

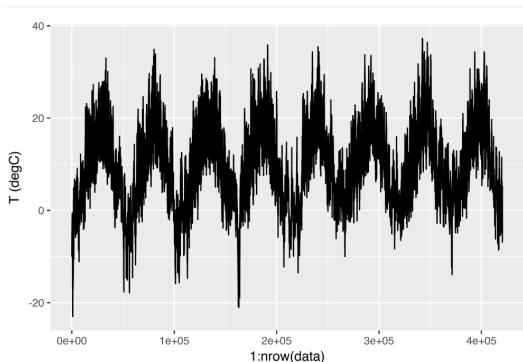
$$y_t \in \{1, 2, \dots, L\} \quad \text{or} \quad y_t \in \mathbb{R}$$

# Example: Time Series Prediction

- Climate Data:
  - $x_t$ : temperature at time  $t$
  - $y_t$ : temperature (or temperature change) at time  $t + 1$

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  - $y_t$ : temperature (or temperature change) at time  $t + 1$
- Stock Price: Predicting stock price



## Example: Language Modeling

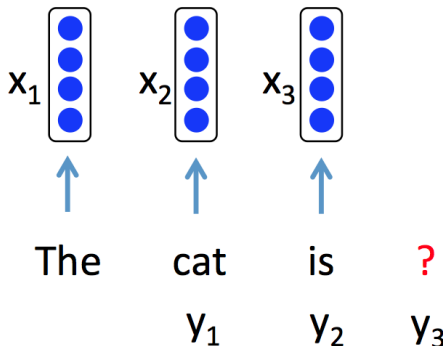
The cat is ?

# Example: Language Modeling

The      cat      is      ?

- $\mathbf{x}_t$ : one-hot encoding to represent the word at step  $t$   
([0, ..., 0, 1, 0, ..., 0])
- $y_t$ : the next word

$y_t \in \{1, \dots, V\}$     $V$ : Vocabulary size

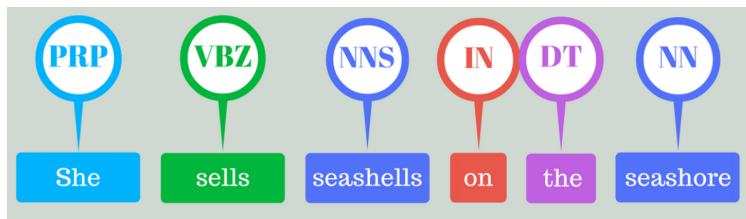


# Example: POS Tagging

- Part of Speech Tagging:

Labeling words with their Part-Of-Speech (Noun, Verb, Adjective, ...)

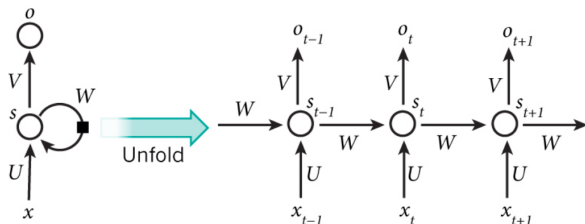
- $\mathbf{x}_t$ : a **vector** to represent the word at step  $t$
- $y_t$ : label of word  $t$



picture from <https://medium.com/analytics-vidhya/pos-tagging-using-conditional-random-fields-92077e5eaa31>



# Recurrent Neural Network (RNN)



- $x_t$ :  $t$ -th input
- $s_t$ : hidden state at time  $t$  (“memory” of the network)

$$s_t = f(Ux_t + Ws_{t-1})$$

$W$ : transition matrix  $s_0$  usually set to be 0

- Predicted output at time  $t$ :

$$o_t = \arg \max_i (Vs_t)_i$$

# Recurrent Neural Network (RNN)

- Training: Find  $U, W, V$  to minimize empirical loss:
- Loss of a sequence:

$$\sum_{t=1}^T \text{loss}(V \mathbf{s}_t, y_t)$$

( $\mathbf{s}_t$  is a function of  $U, W, V$ )

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- Solved by Stochastic Gradient Descent (SGD)

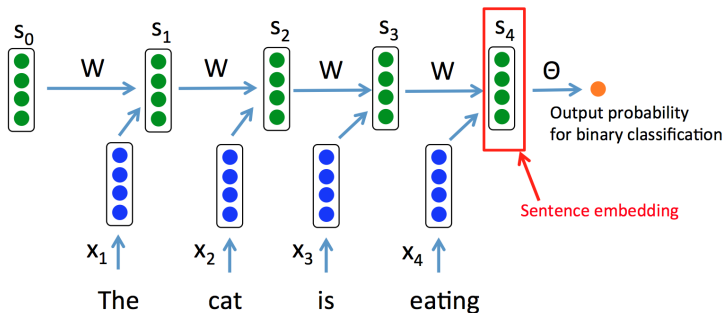
# RNN: Text Classification

- Not necessary to output at each step
- Text Classification:

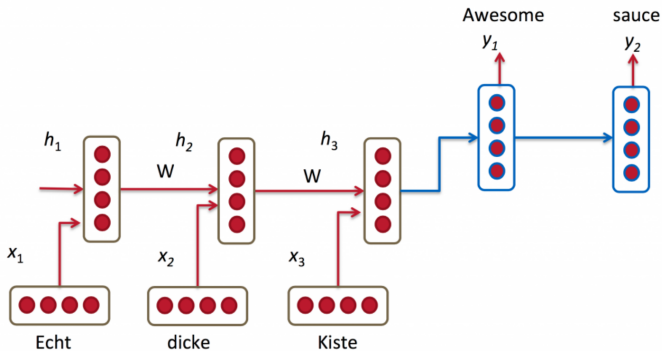
Sentence  $\rightarrow$  category

Output only at the final step

- Model: add a fully connected network to the final embedding



# RNN: Neural Machine Translation

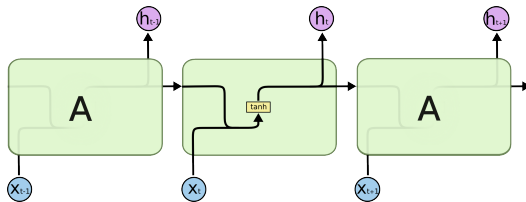


# Problems of Classical RNN

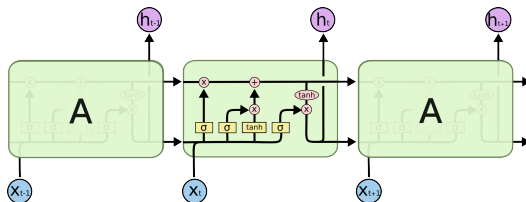
- Hard to capture **long-term dependencies**
- Hard to solve (vanishing gradient problem)
- Solution:
  - LSTM (Long Short Term Memory networks)
  - GRU (Gated Recurrent Unit)
  - ...

# LSTM

- RNN:



- LSTM:



Neural Network  
Layer

Pointwise  
Operation

Vector  
Transfer

Concatenate

Copy



# Conclusions

- A Brief introduction of RNN.

Questions?